Lab 1 – DT signals, LTI systems, frequency

For help, use help <subject>, note that UPPERCASE is used to mark keywords in help only, not in Matlab....

For plotting DT signals, use markers (plot(n,x,'o') etc.). For the continuous couterparts, use lines.

Italics denote optional tasks.

- 1. Using matlab, plot 100 samples of 200 Hz square wave sampled at 2 kHz. Note the period and normalized frequency.
- 2. The same for sine wave.
- 3. Write an m-file with a function automating the generation of a sinusoid with given f,  $f_s$  and number of computed samples. Provide defaults for parameters. Plot result if output is unused.
- 4. Use A/D converter to get signals (as in 1 and 2) from a generator. Compare simulated and real-world plots. Use Matlab's command: y=getdata(Nsamples\_in\_block, [Kblocks, [Tsampling, [leave\_bias]]]) (Tsampling is in seconds, "[]" denote optional arguments).
- Label an x-axis of above plot with time units, then repeat with sample indices (hint: plot(xvalues, yvalues, 'marker');).
- 6. Simulate  $sin\theta_0 n$  where  $\theta_0 = 0.1 \cdot 2\pi$ , make plot.
- 7. Find another  $\theta_1 \gg \theta_0$  such that  $\sin \theta_1 n = \sin \theta_0 n$  for  $n \in I$ . Try to use  $\theta_1 < 20 \cdot \theta_0$
- Prove the θ's inequality, plotting (cont. line) the "visibly continuous" sinusoids i.e. putting 10 times more samples at non-integer points in "time" (use n10=0:.1:(N-1) for "continuous" and n=0:(N-1) for "discrete" time)
- 9. Plot  $x(n) = sin\theta n$  where  $\theta = p \cdot 2\pi$ , p being a rational number. Choose p value and n range so that at least two periods x(n + N) = x(n) are visible, and avoid undersampling effects.
- 10. Explain the plot, comparing the periods of the underlying CT signal and DT signal.
- 11. Use real (non-rational)  $p_1$  close to p. Explain the difference.

12. write m-files implementing lecture examples of DT systems:

 $\begin{array}{ll} \mbox{multiplier} & y(n) = 3 \cdot x(n) \\ \mbox{two sample averager } y(n) = \frac{x(n) + x(n-1)}{2} \\ \mbox{$M$ sample averager } y(n) = \frac{1}{M} \sum_{k=0}^{M-1} x(n-k) \\ \mbox{compressor} & y(n) = x(Mn) \\ \mbox{$FIR filter $} & y(n) = \sum_{k=0}^{M} h(k) \cdot x(n-k) \\ \mbox{square value $} & y(n) = (x(n))^2 \\ \end{array}$ 

Note: FIR filter is a lecture example limited to finite length h[k]

- 13. Make some experiments testing L and TI properties of above systems.
- 14. Plot impulse responses of all systems of item 12
- 15. Implement an accumulator and test it with  $\delta[n]$  and u[n].
- 16. Implement  $y(n) = a \cdot y(n-1) + x(n)$ , accepting a and initial y as parameters. Test impulse response with zero initial condition, initial cond. response, then the combination of both for 0 < a < 1.
- 17. Experiment with different values of a.
- 18. Implement "from scratch" a convolution of two series. Compare results with conv. Check timing (help etime), and flops
- 19. Use convolution (conv())to find a response of an M sample averager to a sequence with four nonzero samples. Check results against the implementation of item 12.
- 20. The same with system of item 16. Q: can you do it exactly?
- 21. Use program anator to display real-time signal and its frequency (well, FFT, but you'll learn it later) measure a sinusoid with different relations of 1/Ts and f